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Porting RT-TDDFT codes for GPU-accelerated architectures



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Outline

- Application: Quantum Dynamics Simulation
- Code Layout
- Porting Challenges
- Kernel Optimization: Case of Kinetic propagation
 - Loop Re-ordering
 - Offload Strategy
- BLASification: Non-local exchange-correlation computation
- Future Directions

- Achieved offload on Polaris and Sunspot with Clang/icpx
- Achieved 640X Speed-up on Polaris Blades at ANL

Non-adiabatic Quantum Molecular Dynamics



Appl. Phys. Lett. **98**, 113301 ('11); ibid. **100**, 203306 ('12); J. Chem. Phys. **136**, 184705 ('12); Comput. Phys. Commun. **184**, 1 ('13); Appl. Phys. Lett. **102**, 093302 ('13); ibid. **102**, 173301 ('13); J. Chem. Phys. **140**, 18A529 ('14); IEEE Computer **48(11)**, 33 ('15); Sci. Rep. **5**, 19599 ('16); Nature Commun. **8**, 1745 ('17); Nano Lett. **18**, 4653 ('18); Nature Photon. **13**, 425 ('19)

Zn porphyrin

Rubrene/C₆₀



quasi-electron; quasi-hole

- Excited states: Linear-response time-dependent density functional theory [Casida, '95]
- Interstate transitions: Surface hopping [Tully, '90; Jaeger, Fisher & Prezhdo, '12]

Simulation-Experiment Synergy



- In ultrafast 'electron & X-ray cameras,' laser light hitting a material is almost completely converted into nuclear motions — key to switching material properties on & off at will for future electronics applications.
- High-end nonadiabatic quantum molecular dynamics simulations reproduce the ultrafast energy conversion at exactly the same space & time scales, and explain it as a consequence of photo-induced phonon softening.



Ultrafast electron diffraction: M.F. Lin *et al., Nature Commun.* **8**, 1745 ('17) X-ray free-electron laser: I. Tung *et al., Nature Photon.* **13**, 425 ('19)

Nonadiabatic Quantum MD: DC-MESH

- DC-MESH (divide-&-conquer Maxwell + Ehrenfest + surface-hopping): O(N) algorithm to simulate photo-induced quantum materials dynamics
- LFD (local field dynamics): Maxwell equations for light & real-time time-dependent density functional theory equations for electrons to describe light-matter interaction
- QXMD (quantum molecular dynamics with excitation): Nonadiabatic coupling of excited electrons & ionic motions based on surface-hopping approach
- "Shadow" LFD (GPU)-QXMD (CPU) handshaking via electronic occupation numbers with minimal CPU-GPU data transfer
- **GSLD:** Globally sparse (interdomain Hartree coupling via multigrid) & locally dense (intradomain nonlocal exchange-correlation computation via BLAS) solver



Multiscaling from DC-MESH to XS-NNQMD



Application: Ferroelectric Opto-Topotronics



JPCL 13, 11335 ('22); Nano Lett., article ASAP ('23)

Aurora is coming, prepare!

- DCMESH to be used for Aurora ESP
- ALCF test machines to restructure and evaluate the porting process
- Exciting Application, Exciting Machines!



https://www.top500.org/lists/top500/2023/06/

Overview of Code Structure

- DC-MESH (divide-&-conquer Maxwell + Ehrenfest + surfacehopping) has extensively used MPI
 - QXMD(Fortran) + LFD(C++)
- Local Field Dynamics : LFD
 - Completely new extensions written from scratch in C++
 - Enabling GPU offload for kernels using OpenMP
 - Wave function initialization, computing electron density, local potential, nonlocal pseudopotential propagator, energy correction, transition probability are ported.



Overview of Code Structure (contd.)

- LFD initially developed as a C++ mini-app (by Pankaj Rajak while a PostDoc at ANL) now imported as a library.
- Isolation: Ifd_main.cpp serving fake simulations for development needs
- Interoperability: Initialize and update occupation number in C++

// flexible precision
template <typename Real>
class LFD;

```
// expose C APIs
extern "C" {
void init_lfd();
void occ_by_lfd();
}
```

// iso_c_binding in Fortran

Header for Fortran facing functions for Maxwell + Ehrenfest + surface-hopping)

Linking Offload Code and Mixing Compilers

- Some C++ compilers complain about missing main() when Fortran has the main program, but it is not compiled with gfortran
- Linking GPU code device code requires extra steps inside the compiler driver
 - When not mixing compiler vendors, use Fortran compiler as the linker with offload flag added
- Flang doesn't work and need to use gfortran. "-fPIE" on some Linux distros
 - Mixing is not supported when not using gfortran
- Static library linking rules does not extract device image for input object files
 - Adding a dummy library with target offload to an existing object file

CMake/CTest

- MakeFile
 - Original QXMD, Mini-App
- Switch to CMake
 - Modular libraries with CMake targets
 - Can handle Fortran and C++ runtime libraries
- CTest
 - Fully automated validation and benchmarking
 - JLSE gitlab

♦	≡ Menu	🛚 ~ Q D 11 ~ E @•~ 🌐 ~
T		* * arcticus-DCMES 🗇 🖸
0	437 5: Total wall time = 37.652566 (s)	
P	438 5: Electron-propagation time = 29.906908 (s) Gflop/s = 3	Duration: 4 minutes 38 seconds
	439 5: Scalar-propagation time = 0.006280 (s) Gflop/s = 1	1.89478 Finished: 8 hours ago
U		Timeout: 1h (from project)
39	440 5: Vector-propagation time = 0.299942 (s) GTiop/s = 5 5	Runner: #17 (a5MjzozQ)
12	441 5: Nonlocal correction time = 29.466141 (s) Gflop/s = 0	jlsebatch2_batch-01
Φ	442 5: Energy calculation time = 7.137517 (s) Gflop/s = θ	. 354821 Tags: batch_generic
Ψ _	443 5:	
Ø	444 2/2 Test #5: lfd-benchmark-PbTi03-70x70x72-288orbs-for-fak	commit e9b74aff
≞	-p1-t1 Passed 73.60 sec	Correct test name.
ଳ	446 lfd-benchmark-PbTi03-35x35x35-32orbs-for-fake-float	
-	447 lfd-benchmark-PbTi03-70x70x72-288orbs-for-fake-floa	t-p1-t1
-	448 100% tests passed, 0 tests failed out of 2	
<u> -11</u>	449 Label Time Summary:	arcticus
Q	450 benchmark = 79.25 sec*proc (2 tests)	
x	451 lfd = 79.25 sec*proc (2 tests)	⊘ arcticus-DCMESH
	452 Total Test time (real) = 79.27 sec	

Correctness and Reproducibility

- Make CPU code solid
 - Scrutinize the code with address sanitizer
 - Address all warnings when compiling with -Wall
- The initial offload port was buggy
 - Missing transfers when using target enter/exit data optimization
 - target task missing dependencies
 - Segfault at random places in the backtrace
 - Issue: Synchronization with nowait
 - Disable them
- ✓ Testing while enabling offload to host

✓ Validate the code with NVIDIA GPU gfortran + clang++

Time Propagation of Electronic Wave Function is Well-Suited for GPUs

- 1. Given a wave function ψ for mesh S, quantum time step Δt_{QD} , compute diagonal α , and lower-upper diagonal coefficients β_l , β_u
- 2. Pick a point $i \in I$ from the $S = \{I, J, K\}$
- 3. Apply stencil to the grid points $(j,k) \in (J,K)$ to evolve ψ_i over Δt_{QD}
- 4. Update new wave function at *i*

 $\psi_i \leftarrow \beta_l \psi_{i-1} + \alpha \psi_i + \beta_u \psi_{i+1}$

5. Repeat **2** \forall {*I*} with next grid point i_{new}

```
void kin_prop (int d, int p) {
```

```
float wrk[Nx+2][Ny+2][Nz+2][2], w[2];
```

```
for (int n=0; n < Norb; n++) {
```

```
for (int i=1; I <= Nr[0]; i++)
```

...

```
for (int j=1; j <= Nr[1]; j++)
```

```
for (int k=1; k <= Nr[2]; k++) {
```

w[0] = al[d][p][0]*psi[n][i][j][k][0] - al[d][p][1]*psi[n][i][j][k][1];

w[1] = al[d][p][0]*psi[n][i][j][k][1] + al[d][p][1]*psi[n][i][j][k][0];

```
for (int s=0; s<2; s++) wrk[i][j][k][s] = w[s] ;
```

}}

}

```
# update psi[n][i][j][k][s] ← wrk[i][j][k][s]
```

- Inefficient memory usage and loop structure
- By loop re-ordering we can eliminate wrk
- al can be cached since it is independent of n, j, k

Update #1

```
void kin_prop (int d, int p) {
float w[2];
for (int j=1; j < Nr[1]; j++)
for (int k=1; l <= Nr[2]; k++)
for (int i=1; j <= Nr[0]; i++)
for (int n=0; n < Norb; n++) {
    w[0] = al_0*psi[i][j][k][n][0] - al_1*psi[i][j][k][n][1];
    w[1] = al_1*psi[i][j][k][n][1] + al_0*psi[i][j][k][n][0];
    ...
    # update psi[n][i][j][k][s] \leftarrow w[s]
}</pre>
```

- Inefficient memory usage and loop structure
- By loop re-ordering we can eliminate wrk
- al can be cached since it is independent of n, j, k
- ✓ Better memory usage and data locality by changing data layout psi[n,i,j,k,s]→psi[i,j,k,n,s]

Update #1 Caveat!

void kin_prop (int d, int p) {				
for (int j=1; j < Nr[1]; j++)				
for (int k=1; l <= Nr[2]; k++)				
for (int i=1; j <= Nr[0]; i++)				
for (int n=0; n < Norb; n++) {				
w[0] = al_0*psi[i][j][k][n][0] - al_1*psi[i][j][k][n][1];				
w[1] = al_1*psi[i][j][k][n][1] + al_0*psi[i][j][k][n][0] ;				
w[0] += bl_0[i]*psi[i-1][j][k][n][0] - bl_1[i]*psi[i-1][j][k][n][1];				
w[1] += bl_0[i]*psi[i-1][j][k][n][1] - bl_1[i]*psi[i-1][j][k][n][0];				
# update psi[n][i][j][k][s] ← w[s]				
}				
}				

Upon loop re-ordering

- No longer using old value of psi.
- psi[i-1][j][k] underwent an unnecessary update for all orbitals

Update #2



Update #2 Caveat!

void kin_prop (int d, int p) {	
for (int j=1; j < Nr[1]; j++)	
for (int k=1; l <= Nr[2]; k++) {	
for (int n=0; n <= Norb; n++) {	
psi_old0[n] = psi[0][j][k][n][0];	
psi_old1[n] = psi[0][j][k][n][1];	
for (int i=1; j <= Nr[0]; i++)	
for (int n=0; n < Norb; n++) {	Multi-Dimensional Arrays do
<pre>w[0] = al_0*psi[i][j][k][n][0] - al_1*psi[i][j][k][n][1]; w[1] = al_1*psi[i][j][k][n][1] + al_0*psi[i][j][k][n][0]; w[0] += bl_0[i]*psi_old0[n] - bl_1[i]*psi_old1[n]; w[1] += bl_0[i]*psi_old1[n] - bl_1[i]*psi_old0[n]; # update psi_old0 ← psi[n][i][j][k][0] and psi_old1 ← psi[n][i][j][k][s] # update psi[n][i][j][k][s] ← w[s] }</pre>	 not work on GPU Complex operations Convert psi, psi_old into 1D complex variable
}}	

Update #3

void kin_prop (int d, int p) {

```
for (int j=1; j < Nr[1]; j++)
```

```
for (int k=1; I <= Nr[2]; k++) {
```

```
for (int n=0 ; n < Norb; n++)</pre>
```

```
psi_old[i] = psi[yz_stride+n];
```

```
for (int i=1; j <= Nr[0]; i++)
```

```
for (int n=0; n < Norb; n++) {
```

```
w = al*psi[stride+n] + bl[i]*psi_old[n] + ...;
```

```
# update psi[stride+n]← w
```

Multi-Dimensional Arrays do not work on GPU

- Complex operations
- Convert psi, psi_old into 1D complex variable

Before

- std:: float psi[Nx+2][Ny+2][Nz+2][Norb]
- std:: float psi_old[Ny+2][Nz+2][Norb]

After

- std::complex<float> psi
- std::complex<float> psi_old

Offload Strategy

```
void kin_prop (int d, int p) {
```

#pragma omp teams distribute collapse(2)

for (int j=1; j < Nr[1]; j++)

for (int k=1; I <= Nr[2]; k++) {

#pragma omp parallel for simd nowait

```
for (int n=0 ; n < Norb; n++)</pre>
```

```
psi_old[i] = psi[yz_stride+n];
```

```
for (int i=1; j <= Nr[0]; i++)
```

#pragma omp parallel for simd nowait

```
for (int n=0; n < Norb; n++) {
```

```
w = al*psi[stride+n] + bl[i]*psi_old[n] + ...;
# update psi_old0[n] ← psi[stride+n]
# update psi[stride+n]← w
```

}}

Hierarchical parallelism

- Coarse grain parallelism via omp teams distribute on outer loops
- Fine grain parallelism on inner Norb loop via *omp parallel for*
- Typical size of Nr is 256 and Norb 100



Offload Timing

void kin_prop (int d, int p) {

#pragma omp teams distribute collapse(2)

for (int j=1; j < Nr[1]; j++)

for (int k=1; I <= Nr[2]; k++) {

```
#pragma omp parallel for simd nowait
```

```
for (int n=0 ; n < Norb; n++)
```

```
psi_old[i] = psi[yz_stride+n];
```

```
for (int i=1; j <= Nr[0]; i++)
```

```
#pragma omp parallel for simd nowait
```

```
for (int n=0; n < Norb; n++) {
```

```
w = al*psi[stride+n] + bl[i]*psi_old[n] + ...;
# update psi old0[n] ← psi[stride+n]
```

```
# update psi[stride+n]← w
```

}

}}

Updated timing

Total wall time	= 208.29 (s)	
Electron-propagation time	= 1.44 (s)	+
Field-propagation time	= 206.08 (s)	
calc_energy function time	= 18.81 (s)	

Original

Total walltime	=	314.458	(s)	
Electron-propagation	=	92.8069	(s)	-
Field-propagation	=	208.392	(s)	
calc_energy function	=	26.7224	(s)	

Using xlr complier

Time Propagation of Electromagnetic Wave Function: field_prop()

- 1. Given a Hartree field v for mesh S and field dynamics time step Δt_{FD} , compute electron density ρ
- 2. Pick a point $i \in I$ from the $S = \{I, J, K\}$
- 3. Apply stencil to the grid points $(j,k) \in (J,K)$ to evolve v_i over Δt_{FD}
- 4. Update new Hartree field at i $v_i \leftarrow e^{i\hat{L}[\rho]t_{QD}}v_i$
- 5. Repeat **2** \forall {*I*} with next grid point i_{new}

Follows same loop-reordering, array flattening and parallelism strategy

Timing Summary

1) System Size: Nx=Ny=Nz=32, Norb=32, Unit-cell (1,1,1)

Branch	Electron-propagation (s)	Field-propagation (s)	Total Time (s)
Master	46.7649	42.0905	95.7997
Kin_offload	0.79	41.72	43.23
Kin_Field_sync_offload	0.752694	22.3408	23.8729
Kin_Field_async_offload	0.449227	5.56158	6.74293

2) System Size: Nx=Ny=Nz=32, Norb=64, Unit-cell (1,2,1)

Branch	Electron-propagation (s)	Field-propagation (s)	Total Time (s)
Master	92.8069	208.392	314.458
Kin_offload	1.44	206.08	208.29
Kin_Field_sync_offload	1.55114	111.271	113.608
Kin_Field_async_offload	0.831752	27.457	29.0229

Workaround/Optimization for Intel icpx

Issues with "this"

```
class LFD {
  size_t N;
  void do_something(){
    #pragma omp target
    { // read N }
    // N becomes garbage
    // due to map(tofrom:this[:1])
  }
}
```

class LFD {
 size_t N;
 void do_something(){
 size_t N_local = N;
 #pragma omp target
 { // read N_local }
 // N_local is first private
 }
}

Use BLAS GEMM

- Initial CPU run takes 20 minutes and a lot of time in GEMM like codes
- The dot product over the mesh is not contiguous. 0 and Nx+1, Ny+1, Nz+1 are ghost elements.
- We extract the core elements to psi_core array and then call zgemm
- Now <1 minute on 1 CPU core.
- Use vendor optimized libraries

```
for (int m = 0; m < Norb; m++) {
    for (int n = 0; n < Norb; n++) {
        sum = {0.0, 0.0};
        for (int k = 1; k <= Nz; k++)
        for (int j = 1; j <= Ny; j++)
        for (int i = 1; i <= Nx; i++) {
            const size_t indxm = m + ...;
            const size_t indxm = n + ...;
            sum += std::conj(psi0_ptr[indxm]) * psi_ptr[indxn];
        }
        sum *= Dvol; } // End inner for KS orbitals n
    } // End outer for KS orbitals m</pre>
```

Non-local Potential Propagation

• For *Norb* orbitals solve:
$$0 < \text{nlumo} < nhomo \le Norb$$

 $|\psi_n\rangle = \frac{i\Delta_{sci}\Delta_{QD}}{2}\sum_{nlumo}^{Norb} |m\rangle\langle m|\psi_n\rangle \quad n \in [0, nhomo]$
Where:
 $\langle m|\psi_n\rangle = \Delta_x\Delta_y\Delta_z\sum_{ijk}\psi_{[0:nlumo],t=0}^T\psi_{[nlumo:]}$

Re-write as two BLAS Level 3 calls

Energy Correction



Re-write as two BLAS Level 3 calls

Performance bottleneck

Profiling Insights: "Look around the GEMM calls"

- > 80% hot spots have recurring pattern
- Utilize vendor BLAS call
- Take all the codes from QMCPACK platforms abstraction CUDA/HIP/SYCL
 - Device management
 - GPU runtime abstraction
 - GPU BLAS abstraction

Time in Benchmark with Loop-Reordering





Timing on CPU pre-BLASification

Time in Benchmark with BLAS

clang version 15.0.0 Nx=70 Ny=70 Nz= 72 Norb = 288orbs



Timing on CPU with BLASification

Time in Benchmark with Offload



Speed-up



Plotted over the baseline QXMD DC-MESH code on a single Polaris node resulting from a series of code optimizations

Completion time across Architectures

Benchmarks carried out on PbTiO3-70x70x72-288orbs, float



Workload across Architectures

Benchmarks carried out on PbTiO3-70x70x72-288orbs, float



Summary

- A data layout for propagators that facilitates SIMD parallelism to a high extent
- Utilized SYCL kernels for Intel GPU offload
- Carried out LFD execution on Sunspot blades (PVC)