



Performance Evaluation of NWChem Ab-Initio Molecular Dynamics (AIMD) Simulations on the Intel[®] Xeon Phi[™] Processor

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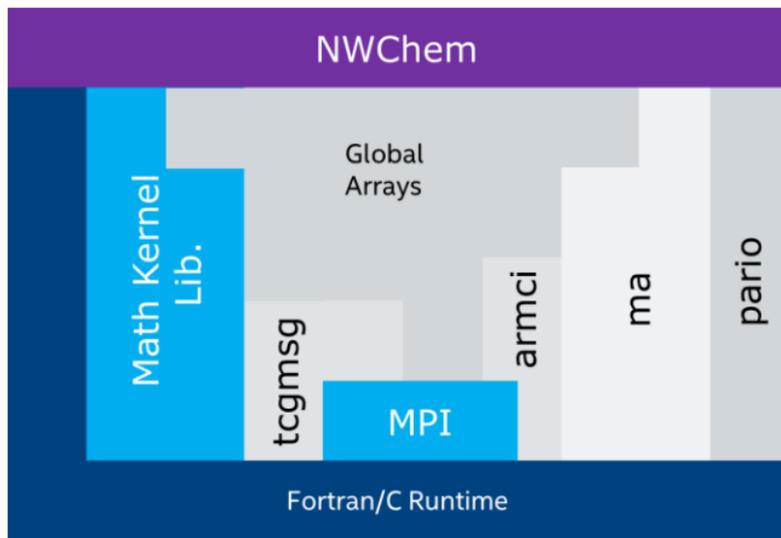
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NWChem Fun Facts

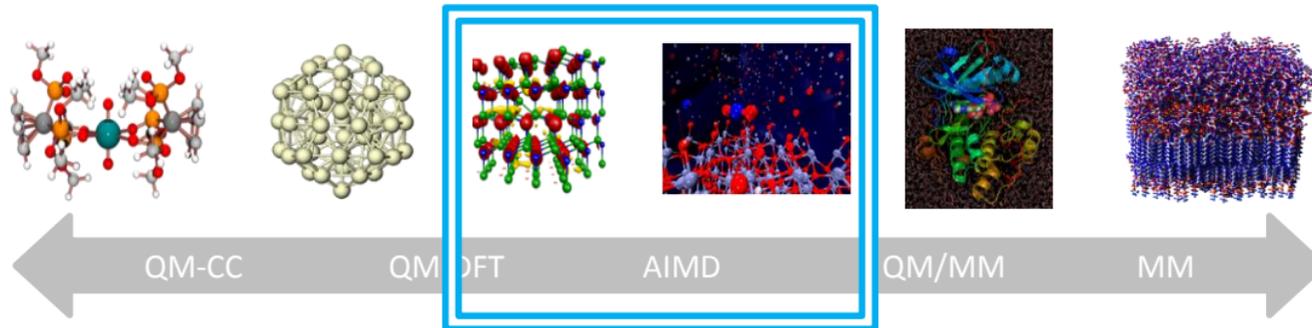
- URL: www.nwchem-sw.org



Language	# files	LOC
Fortran 77	17147	4823003
C	857	242622
Bourne Shell	39	164184
HTML	182	55168
make	398	44373
TeX	115	39884
C/C++ Header	377	31217
Fortran 90	58	30525
Python	95	22571
m4	126	21894
C++	67	13489
Java	66	12311

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Introduction: Plane Wave Methods



- 100-1000 atoms, uses plane wave basis
- Many FFTs and DGEMM operations
- “Meaty”: Lots of FLOPs, but also bandwidth sensitive

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$$(-1/2)\nabla^2\Psi + V_{ext}\Psi + V_H\Psi + V_{xc}\Psi + V_{x,exact}\Psi = E\Psi$$

$$\langle\Psi_i|\Psi_j\rangle = \delta_{ij}$$

$$N_e N_g$$

$$(N_a N_g + N_g \text{Log} N_g + N_e N_g) + N_a N_e N_g$$

$$N_e N_g \text{Log} N_g + N_e N_g + 2N_g \text{Log} N_g + N_g + N_e N_g$$

$$N_e N_g \text{Log} N_g + N_e N_g$$

$$N_e(N_e+1)N_g \text{Log} N_g$$

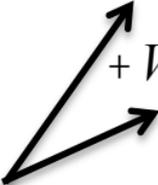
$$N_e^2 N_g + N_e^3$$

N_a - number of atoms
 N_e - number of electrons
 N_g - size of FFT grid

Strong Scaling is Key

- 20 psec of simulation time \approx 200,000 steps
 - 1 sec/step = 2-3 days simulation time
 - 10 sec/step = 23 days simulation time
 - 13 sec/step = 70 days simulation time
- Mesoscale phenomena at longer time scales
 - Assume 1 sec/step
 - 100 psec = 10-15 days simulation time
 - 1 nsec = 100 - 150 days simulation time
- Strong scaling required to reduce time per time step as much as possible
 - At least below 1sec/step

Plane Wave Discretization

$$Hj_i(r) = -\frac{1}{2}\nabla^2 + V_L(r) + (1-a)V_Xr + V_Cr + V_{NL} + V_Hr - a\sum_j K_{ij}(r)j_j(r)$$


Matrix multiplication in reciprocal space, SUMMA

$$\nabla^2 V_{H,X,C}(r) = -4\rho r(r) \quad \nabla^2 K_{ij}(r) = -4\rho j_i(r)j_j(r)$$

N_e 3D-FFT Poisson $(N_e+1)N_e$ 3D-FFT

$$r(r) = \sum_{i=1}^N |j_i(r)|^2$$

Density

$$\int_W j_i(r)j_j(r)dr = d_{ij}$$

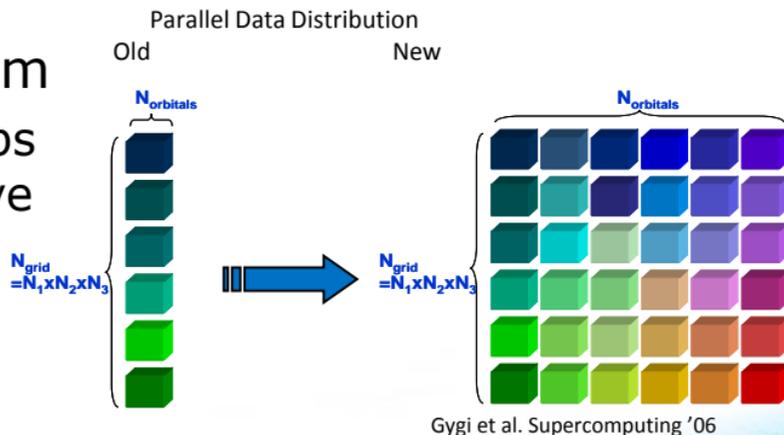
Orthogonality (matrix multiplication, SUMMA)

Plane Wave AIMD Computational Hotspots

- Three major hotspots with different performance behavior
- Applying V_H and V_{xc} , involving calculation of $2N_e$ 3D FFTs
- Non-local Pseudopotentials, V_{NL} with matrix multiplications of tall-and-skinny matrices
- Enforcing Orthogonality, with matrix multiplications of tall-and-skinny matrices

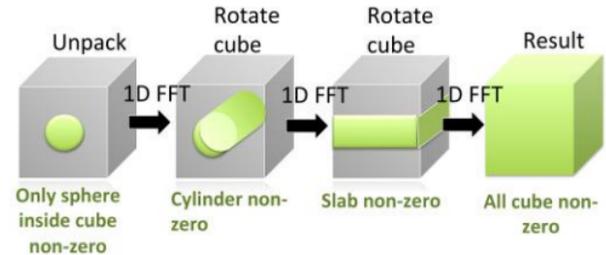
Plane Wave Data Distribution

- Smart data distribution and communication algorithms enable DFT and hybrid-DFT to scale to large numbers of processors
- Multiple levels of parallelism
 - k-points through subgroups (fewer of them as we move to larger systems)
 - Parallel distribution of grid points and orbitals



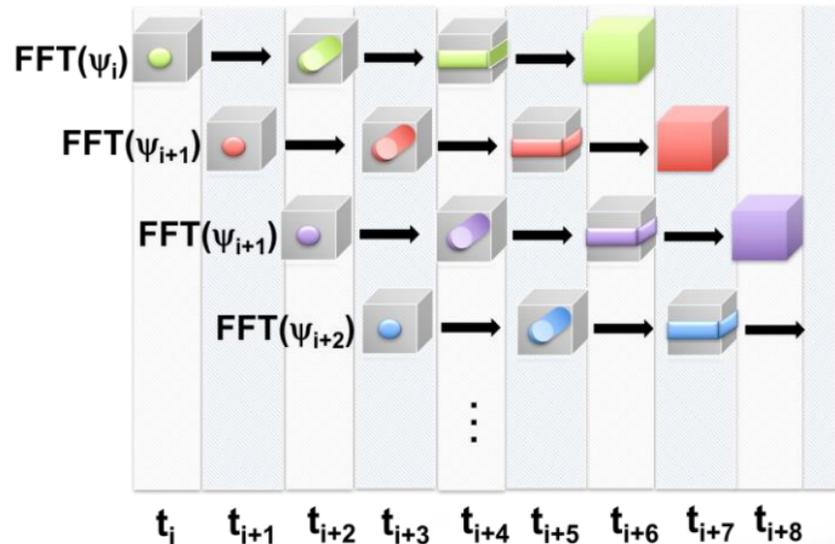
3D FFTs

- Performed at each step
 - $2 N_e$ 3D FFTs for DFT
 - Plus $(N_e+1)*N_e$ 3D FFTs for hybrid DFT
- In reciprocal space, sphere of radius E_{cut} is stored
- Forward FFTs:
 1. Unpack sphere into a 3D cube (z,x,y)
 2. Perform $n_x \times n_y$ 1D FFTs along the z-dimension
 3. Rotate the cube (z; x; y) \rightarrow (y; z; x)
 4. Perform $n_z \times n_x$ 1D FFTs along the y-dimension
 5. Rotate the cube (y; z; x) \rightarrow (x; y; z)
 6. Perform $n_y \times n_z$ 1D FFTs along the x-dimension
- Backward FFTs: reverse above steps



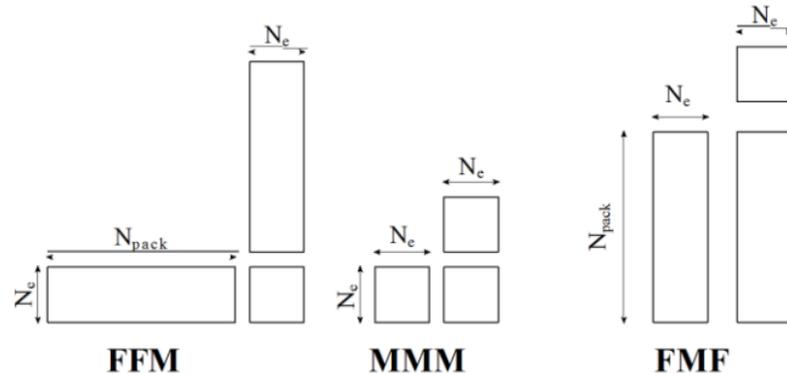
3D FFTs – Pipelined Implementation

- Performed at each step
 - $2 N_e$ 3D FFTs for DFT
 - Plus $(N_e+1)*N_e$ 3D FFTs for hybrid DFT
- In reciprocal space, sphere of radius E_{cut} is stored
- 3D FFTs are pipelined
 - Overlap communication and computation
 - Latency reduction
 - N^2 1D FFTs per stage execute in parallel

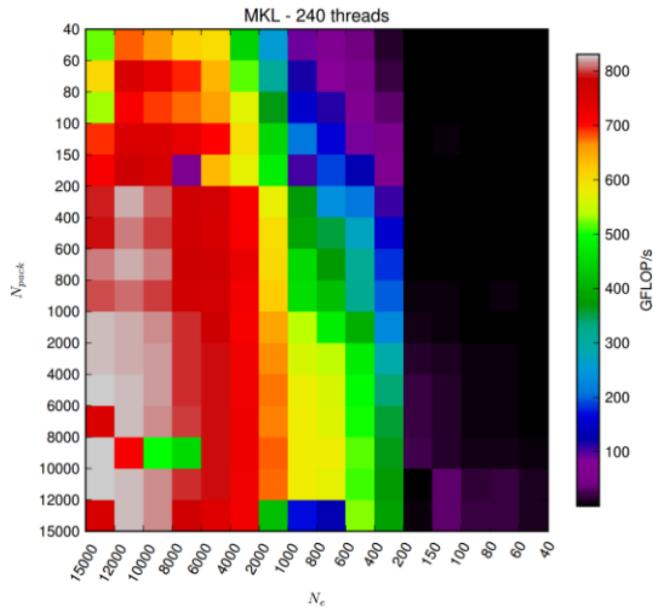


Lagrange Multiplier

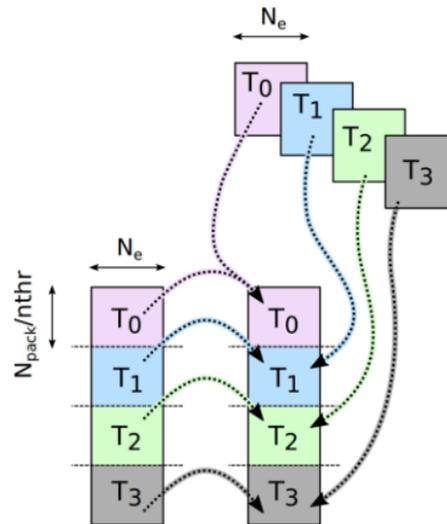
- Sequence of matrix products of shape F or M
 - F: $N_{pack} \times N_e$ or $N_e \times N_{pack}$ matrix (tall & skinny)
 - M: $N_e \times N_e$ matrix
 - In general: $N_{pack} \gg N_e$



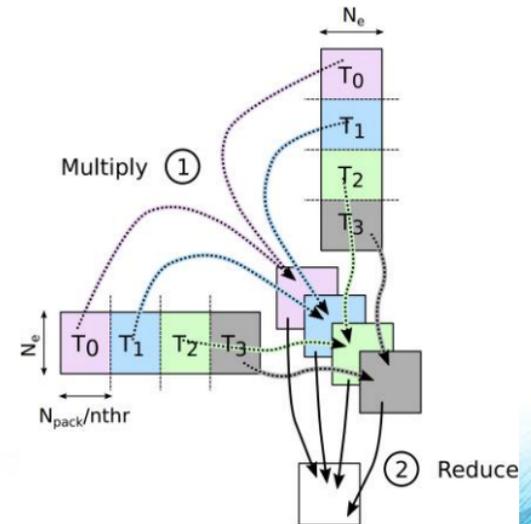
Lagrange Multiplier – Parallelization



FMF



FFM



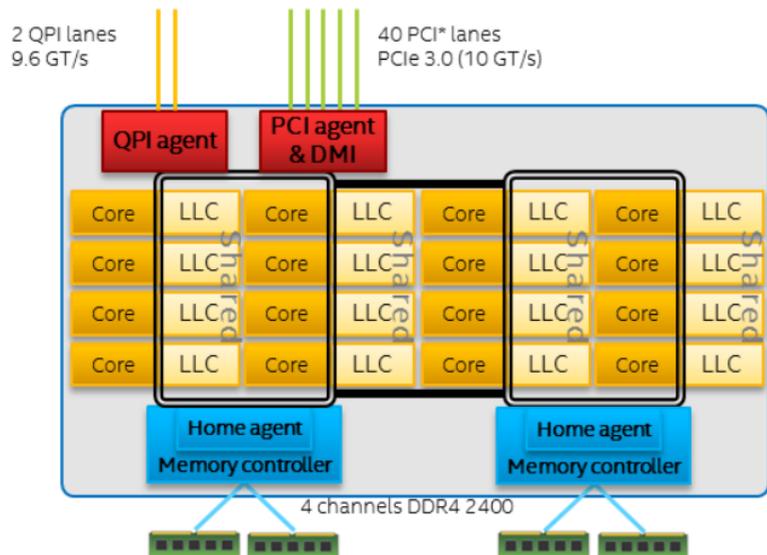
Experimental Setup – NERSC Cori

- “Haswell”, HSW
 - Cray* XC40
 - 2S Intel® Xeon® E5-2698v3 processors
 - 32 cores, no Hyper-Threading
 - 2.3 GHz clock frequency
 - 128 GB of DDR4 at 2133 MHz
 - Cray* Aries* w/ Dragonfly
- “Knights Landing”, KNL
 - Cray* XC40
 - Intel® Xeon Phi™ 7250 processors
 - 68 cores w/ 4 hardware threads
 - 1.4 GHz clock frequency
 - 96 GB of DDR4 at 2400 MHz
 - Cache mode
 - Quadrant cluster mode
 - Cray* Aries* w/ Dragonfly

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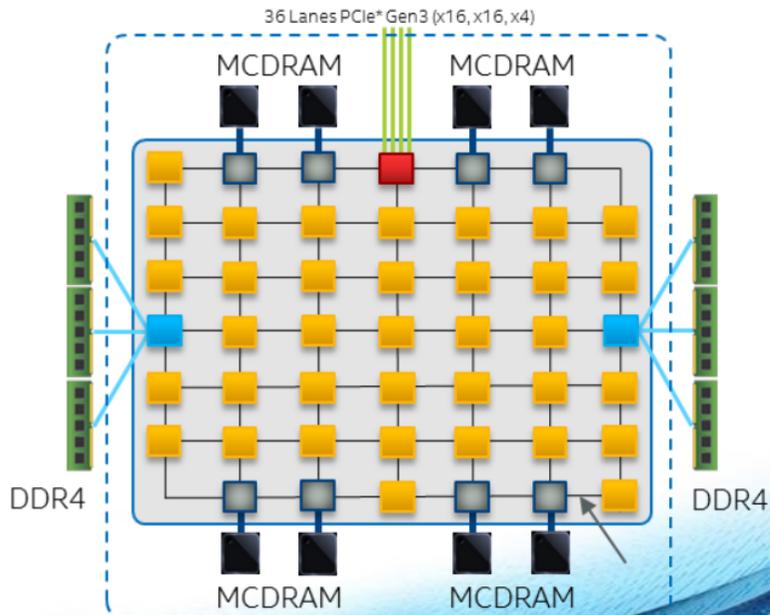
Experimental Setup – Processor Architectures

- Intel® Xeon® E5-2697v3



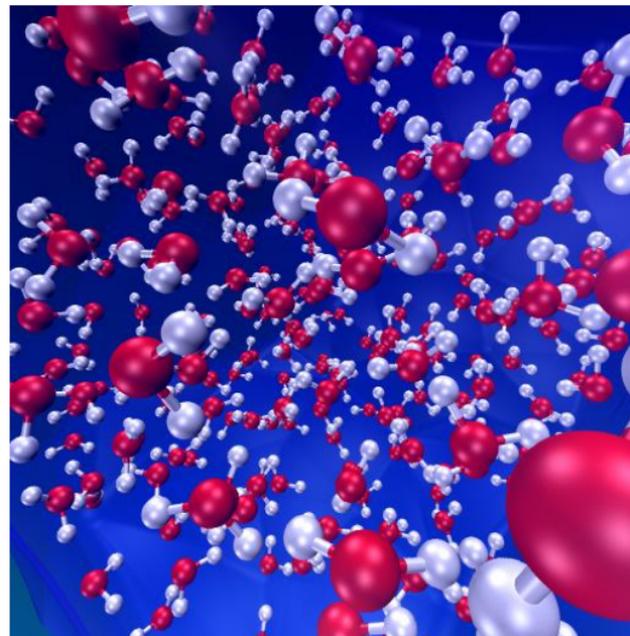
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- Intel® Xeon Phi™ 7250



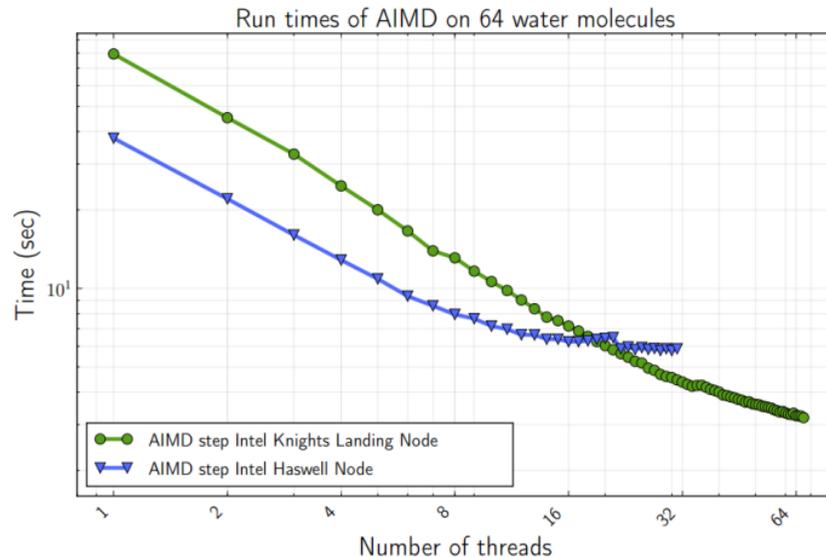
Experimental Setup – Benchmarks

- water64:
 - 64 water molecules in a box
 - test intra-node strong scaling
- water256:
 - 256 water molecules
 - test cluster strong scaling
 - $N_e=2056$
 - $N_g=5,832,000$ (180^3)
 - $N_{pack}=437,000$



Intra-node Performance

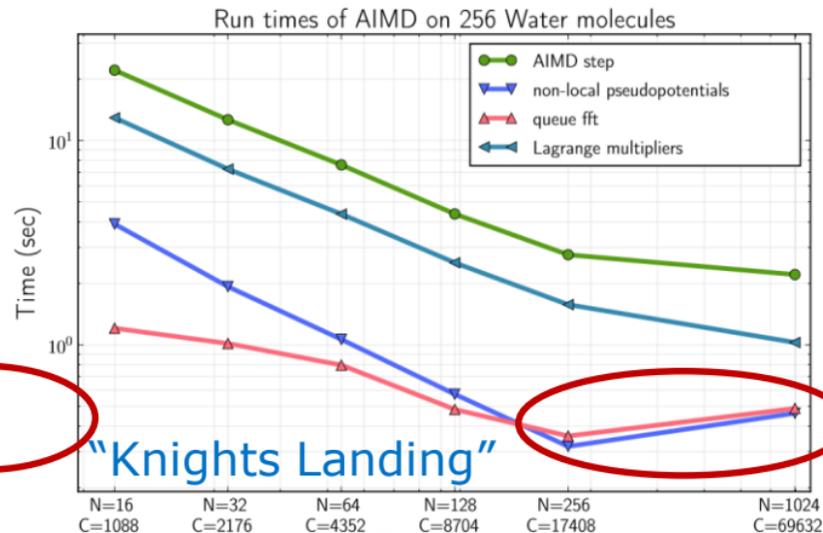
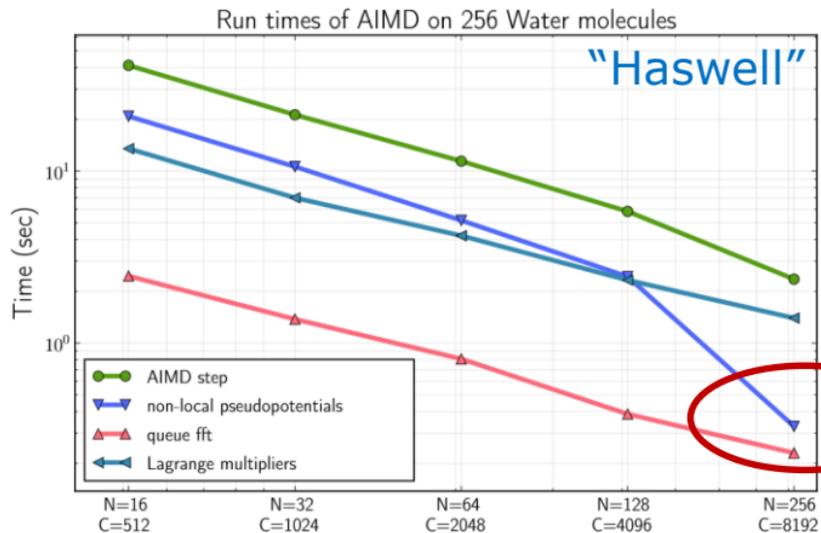
- Insight into performance without fabric effects
- Xeon node saturates at about 16 cores, reaching memory bandwidth limits
- Xeon Phi node keeps strong scaling due to the on-package cache memory
- 1.8x speed-up of KNL over HSW node



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Performance

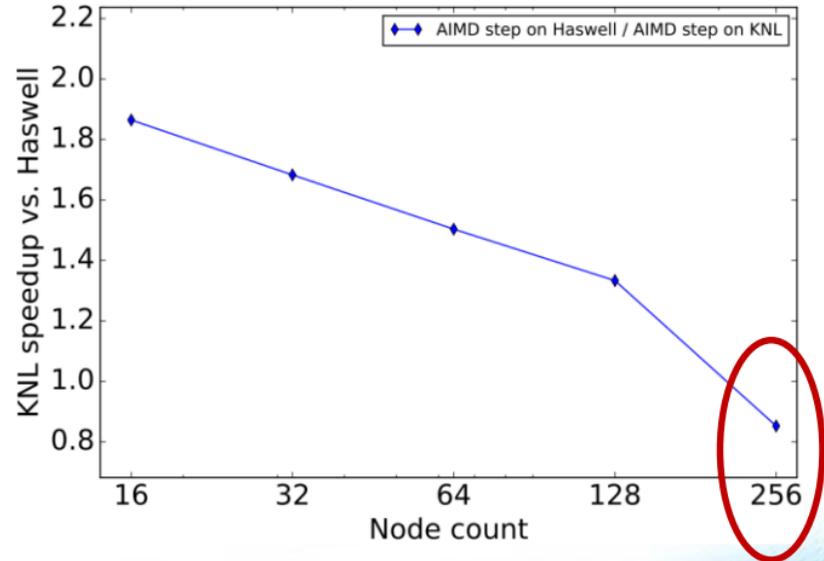


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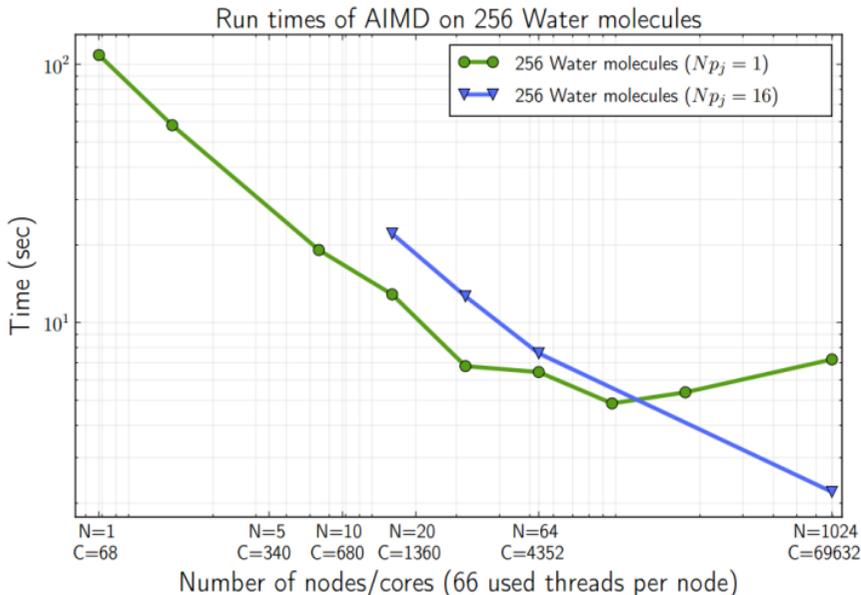
Relative Performance – HSW vs KNL

- Strong scaling regime
- Interconnect latency becomes visible
- Less occupancy of the network
- KNL seems to suffer from this more than HSW does



Performance – Effect of the Processor Grid

- Processor grid is a tradeoff
- 2D processor grid:
 $N_p = N_{pi} * N_{pj}$
- Large N_{pj} favors FFTs and non-local pseudopotentials
- Lagrange multiplier suffers from large N_{pi}
- Balancing N_{pi} and N_{pj} is required
 - problem size
 - number of ranks



The Last Slide...

- Hybridization of NWChem's AIMD code with MPI/OpenMP
- Plain library approaches were not good enough due to special requirements of the AIMD kernels
- Experiments show that AIMD can scale to O(1k) KNL nodes
- Future Work:
 - Re-use ideas of this work for hybrid DFTs and band-structure code
 - Investigate relationship between N_{pi} and N_{pj}
 - Apply all this to a "real" scientific problem 😊

